

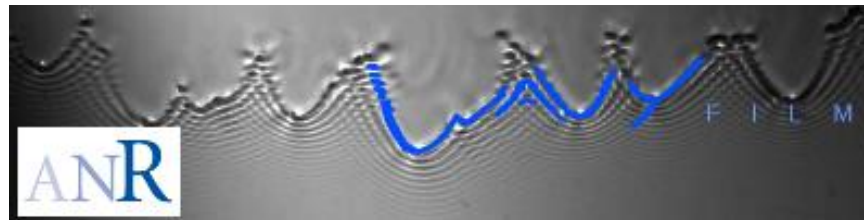
Flooding experiments in a narrow channel



Yiqin Li , Sophie Mergui, Georg Dietze

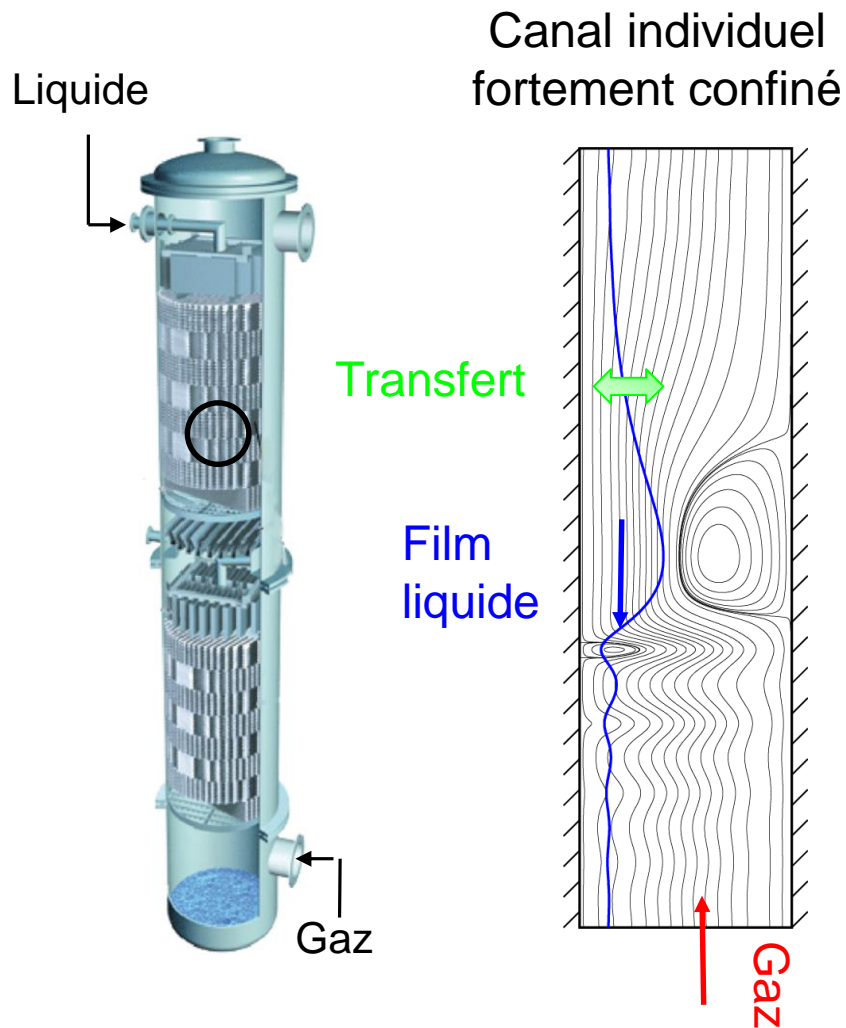


Gianluca Lavallo, Nicolas Grenier



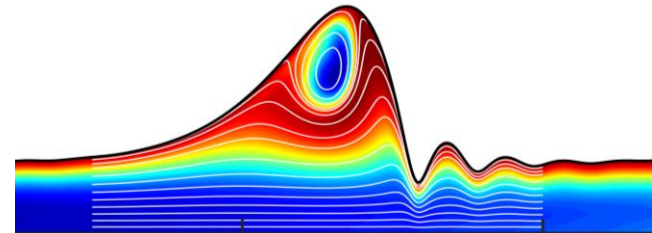
ANR WavyFilm





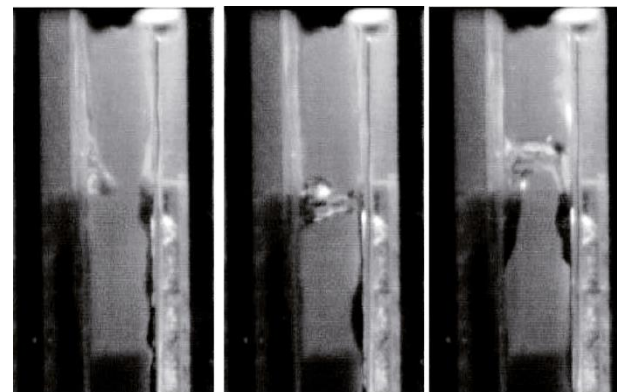
Dietze et Ruyer-Quil (JFM,
2013)

Intensification du
transfert



Dietze 2018

Engorgement

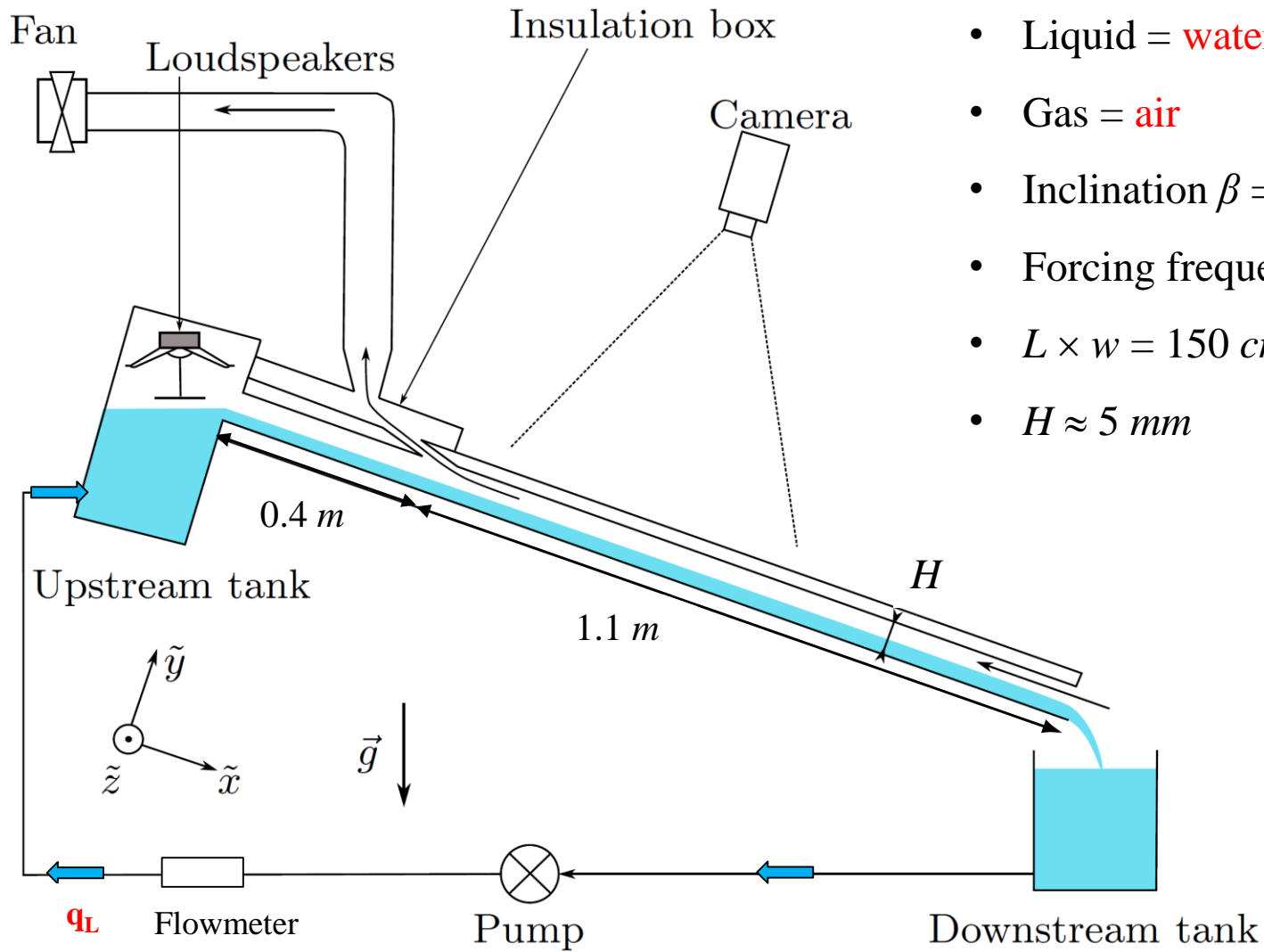


Vlachos et al. (IJMPF, 2001)

Identifier des régimes optimaux

- maximiser les transferts entre gaz et liquide
- éviter l'engorgement

Experimental set-up



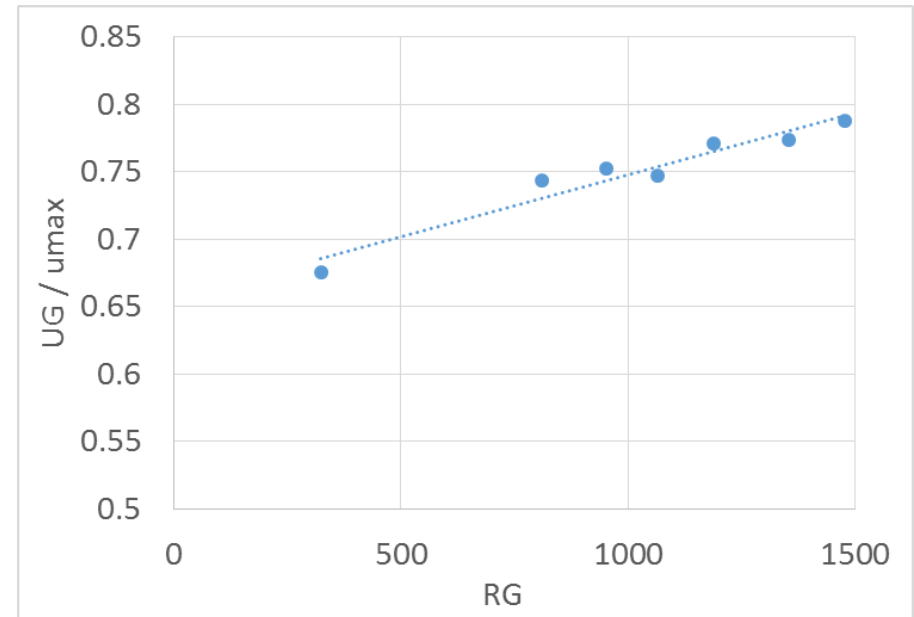
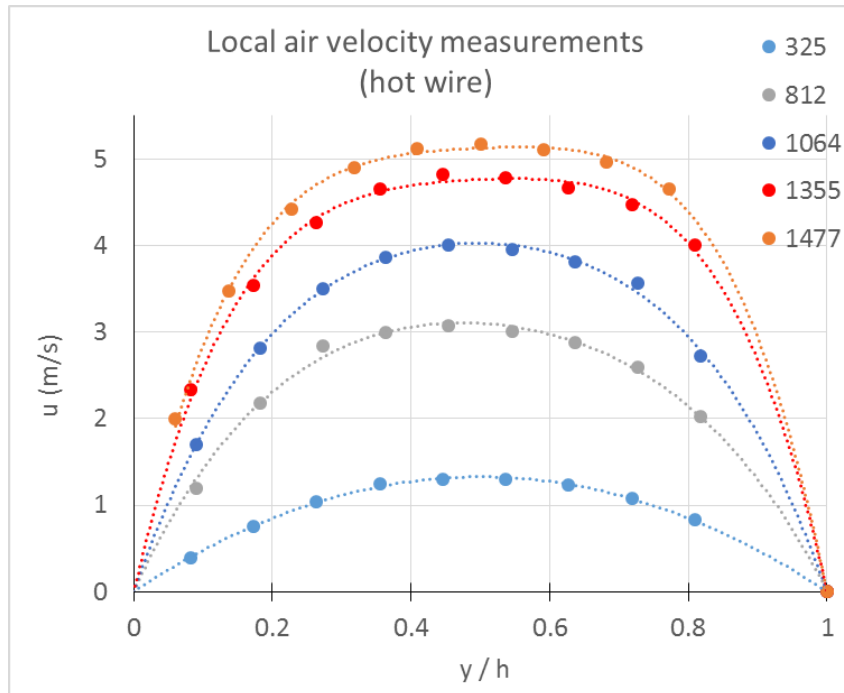
- Liquid = **water**
- Gas = **air**
- Inclination $\beta = 0 - 20^\circ$
- Forcing frequency $f = 1 - 10\text{ Hz}$
- $L \times w = 150\text{ cm} \times 27\text{ cm}$
- $H \approx 5\text{ mm}$

Experimental parameters

β	3° and 4.9°
R_L	22 - 65
f (Hz)	2.2 - 3
R_G	0 - 1500

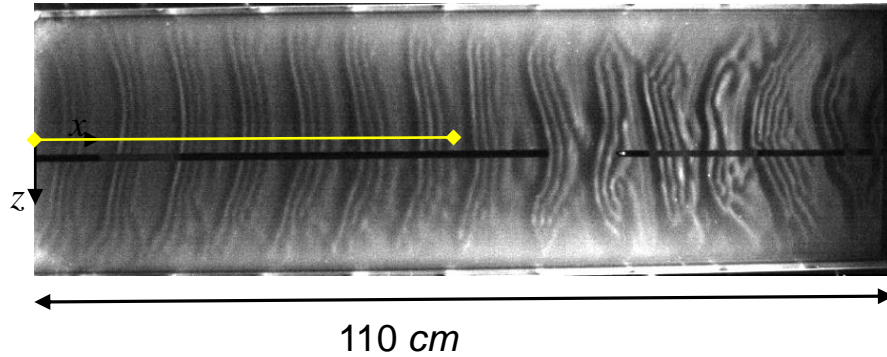
$$R_L = \frac{q_L}{\gamma_L}$$

$$R_G = \frac{U_G^0 H}{\gamma_G}$$



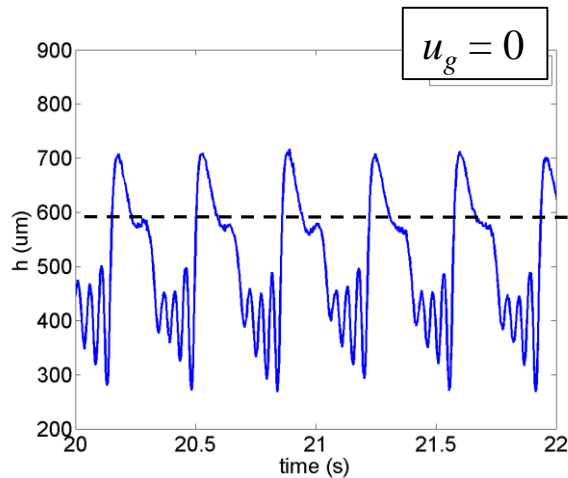
Experimental set-up

- **Visualisation:** 2D camera



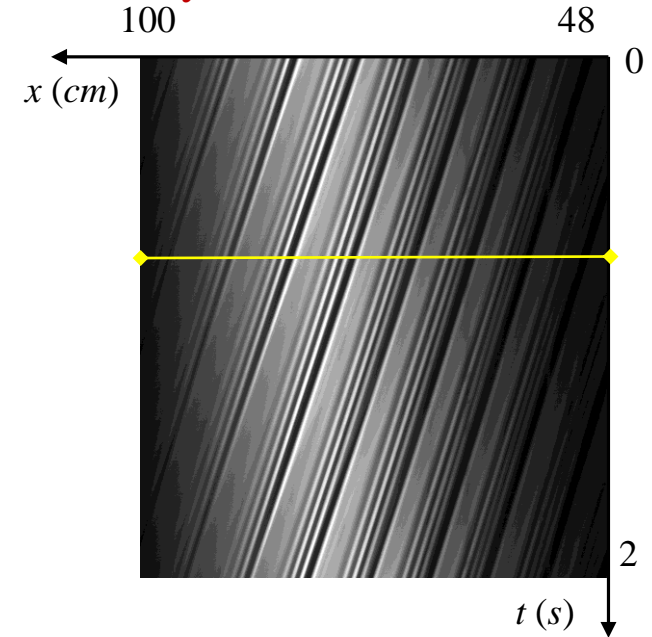
- **Film thickness:** One-point temporal measurement
Confocal Chromatic Imaging (CCI)

temporal resolution: up to 2 kHz
accuracy: 300 nm



$$h_m^0 = h_m(u_g = 0)$$

- **Wave celerity:** linear CCD camera



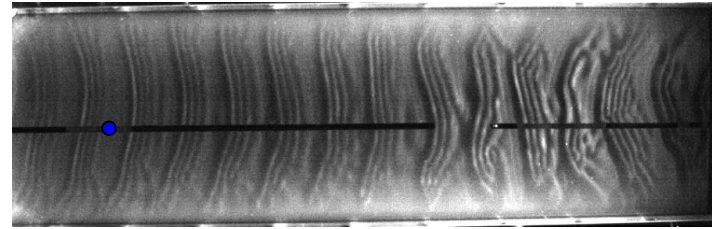
Relative confinement

$$\eta_m^0 = \frac{H}{h_m^0}$$

Results: effect of the counter-current air flow on solitary waves

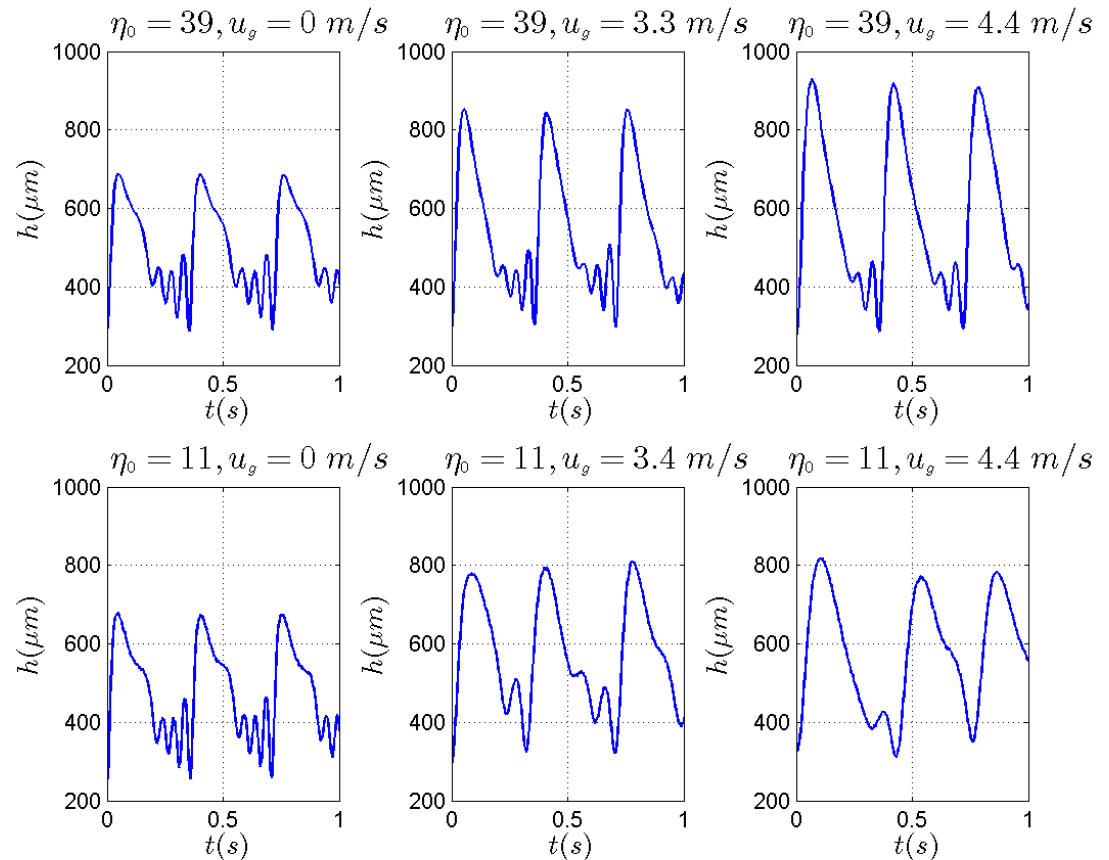
β	4.9°
R_L	$35 = 2.2 R_c$
f (Hz)	2.8

$x = 60 \text{ cm}$



Kofman's exp. ($H = 19 \text{ mm}$)

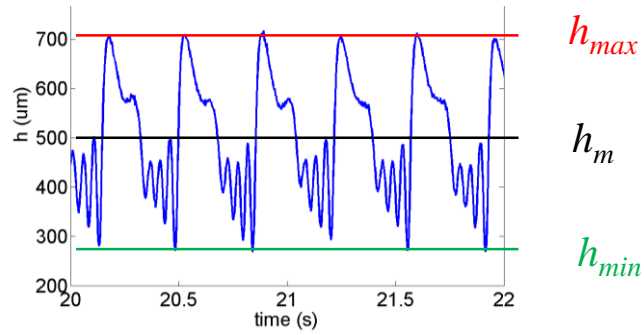
$$\eta_m^0 = 39$$



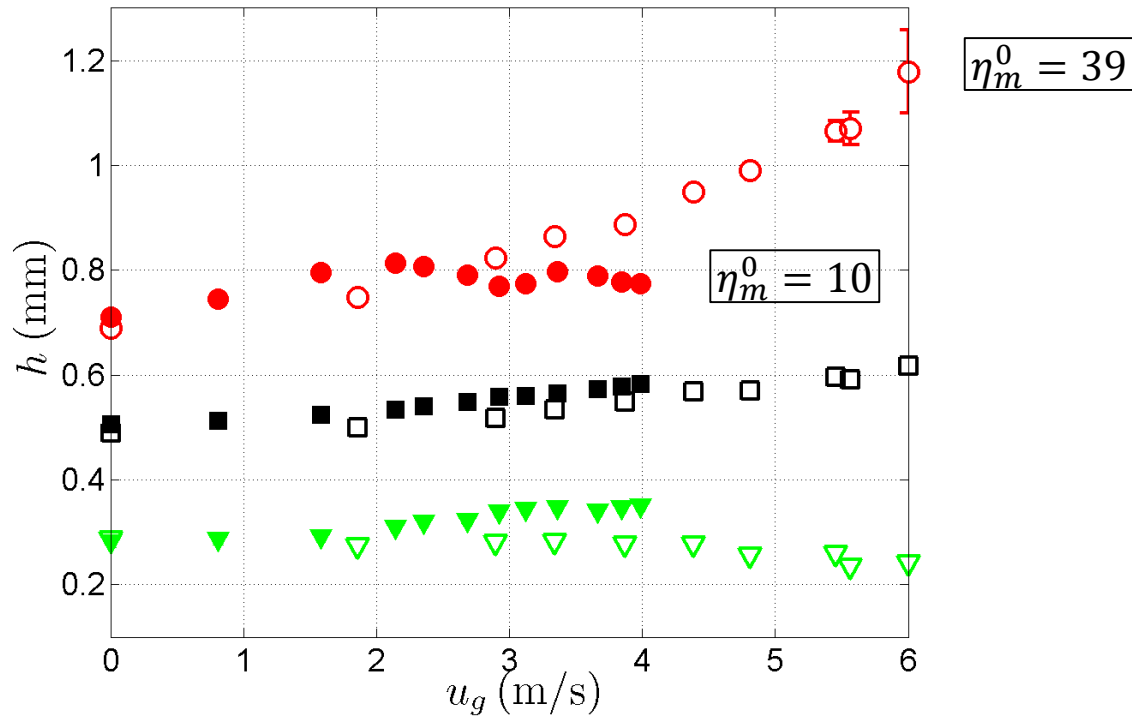
Current exp. ($H = 5.2 \text{ mm}$)

$$\eta_m^0 = 11$$

Results: effect of the counter-current air flow on solitary waves

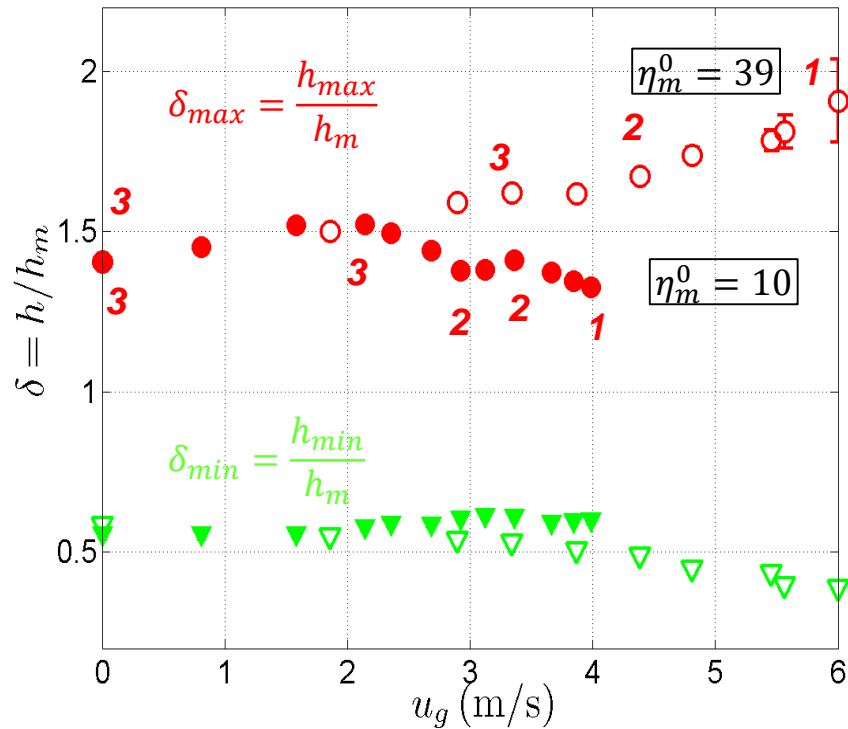


Film thickness

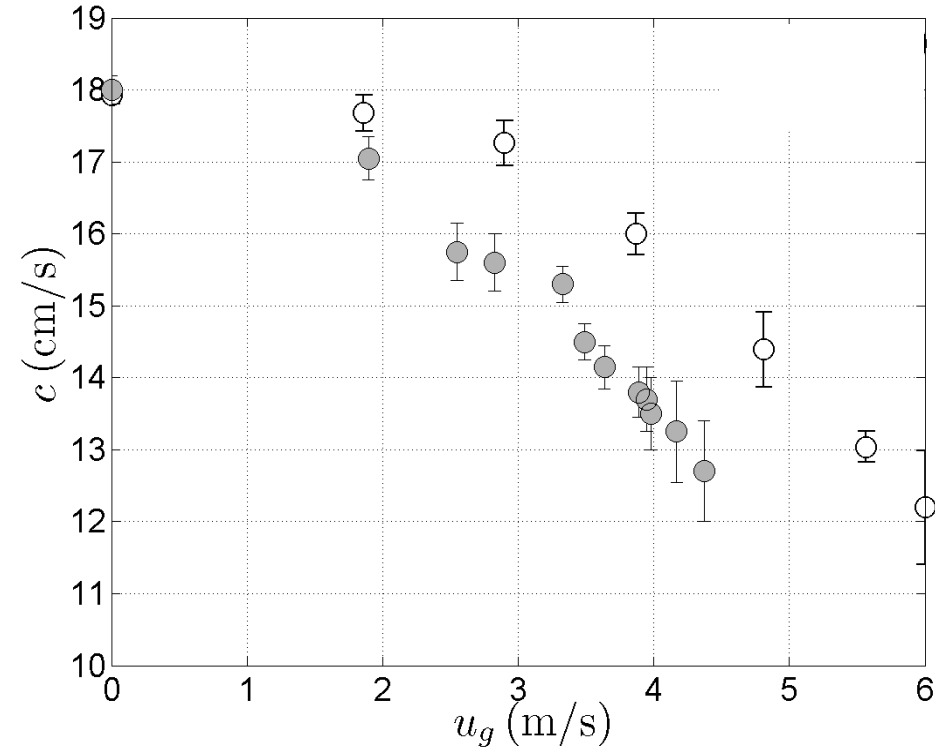


Results: effect of the counter-current air flow on solitary waves

Relative film thickness

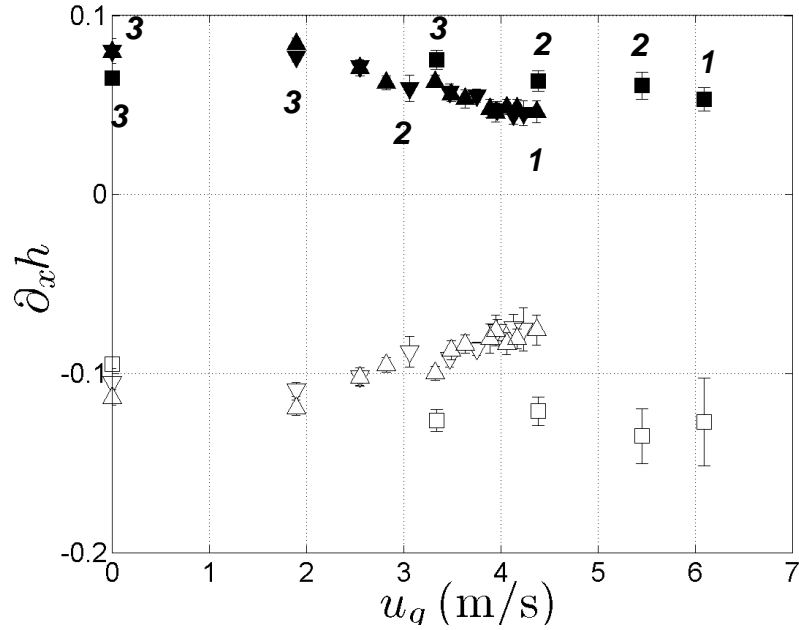


Wave celerity

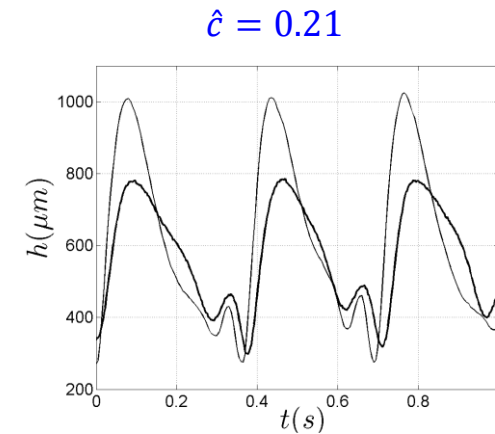
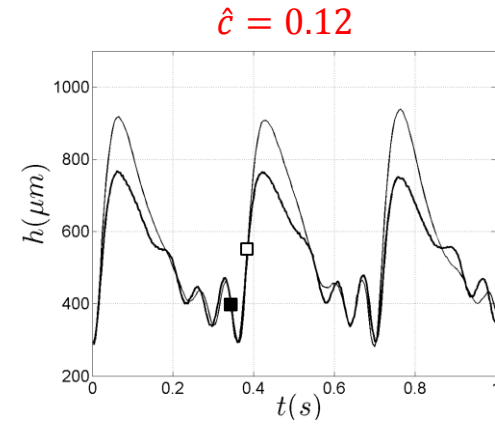
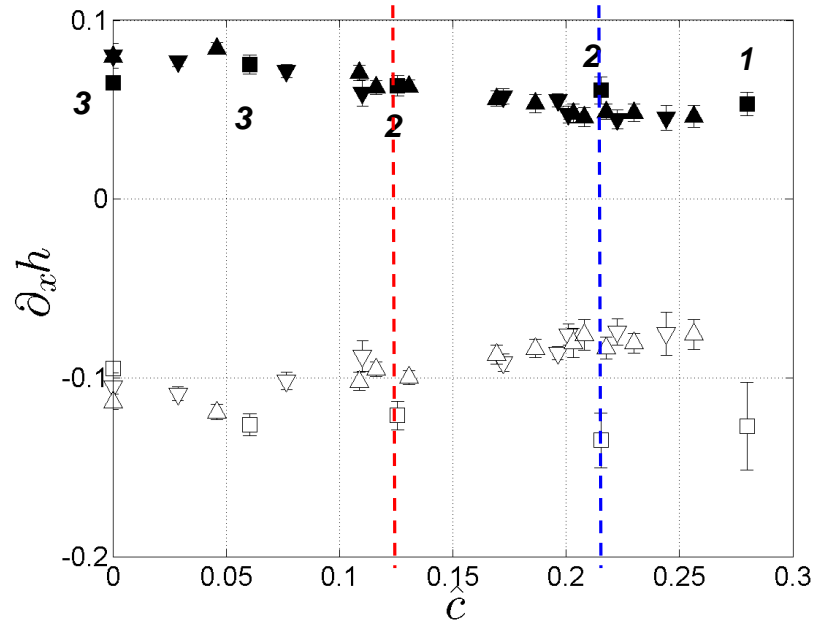


Effect of the gas: weak confinement \Rightarrow destabilizing
strong confinement \Rightarrow stabilizing

Results: effect of the counter-current air flow on solitary waves



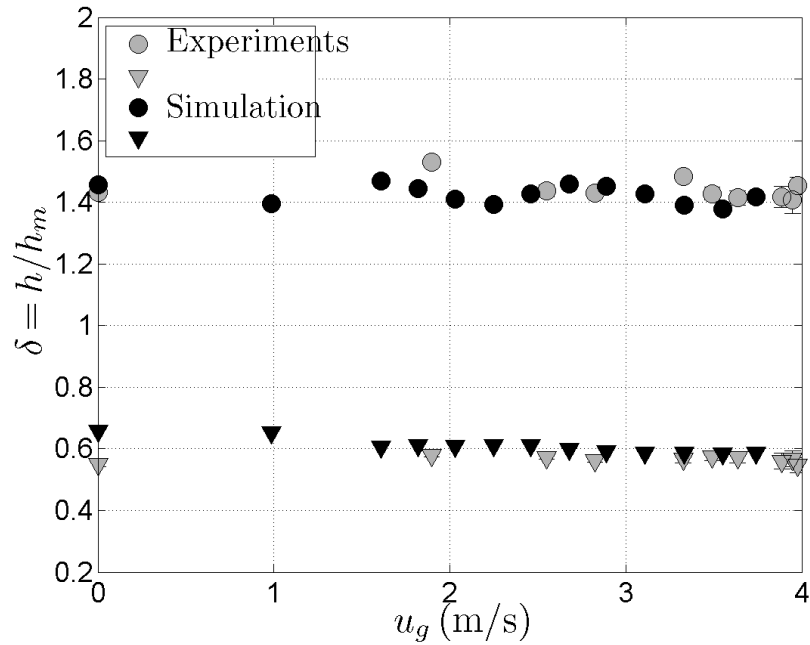
$$\hat{c} = \frac{c_0 - c}{c_N} \quad c_N = \frac{gh_N^2 \sin \beta}{\nu}$$



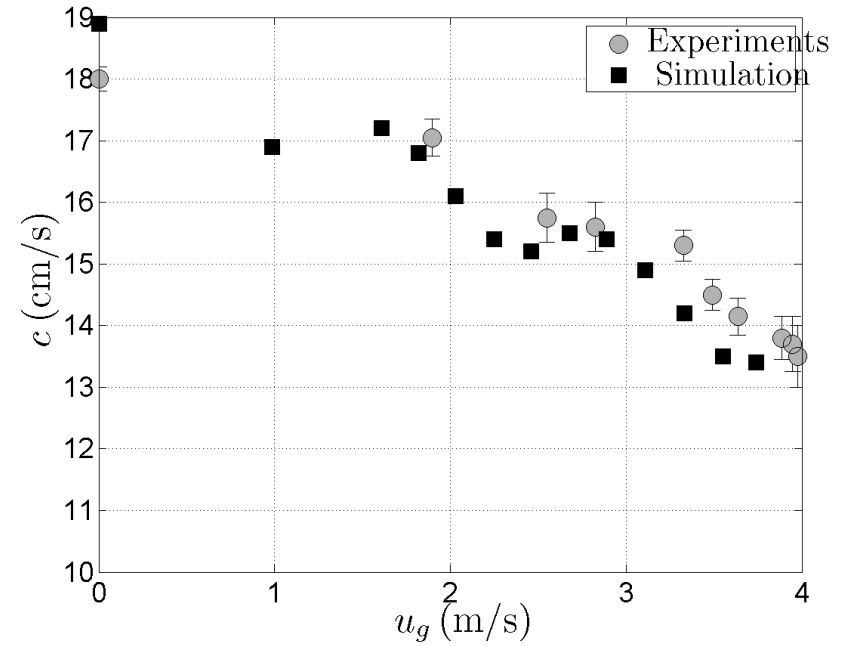
Results: Comparison with direct numerical simulations - DassFlow Code

$$\eta_m^0 = 11$$

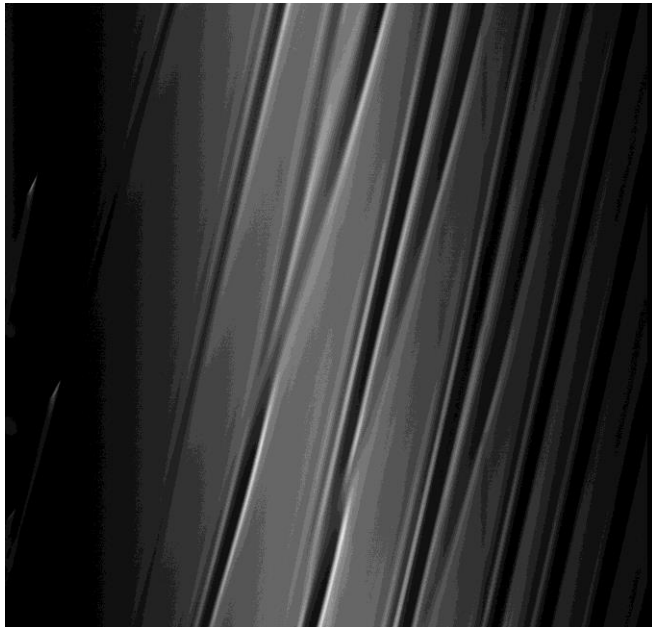
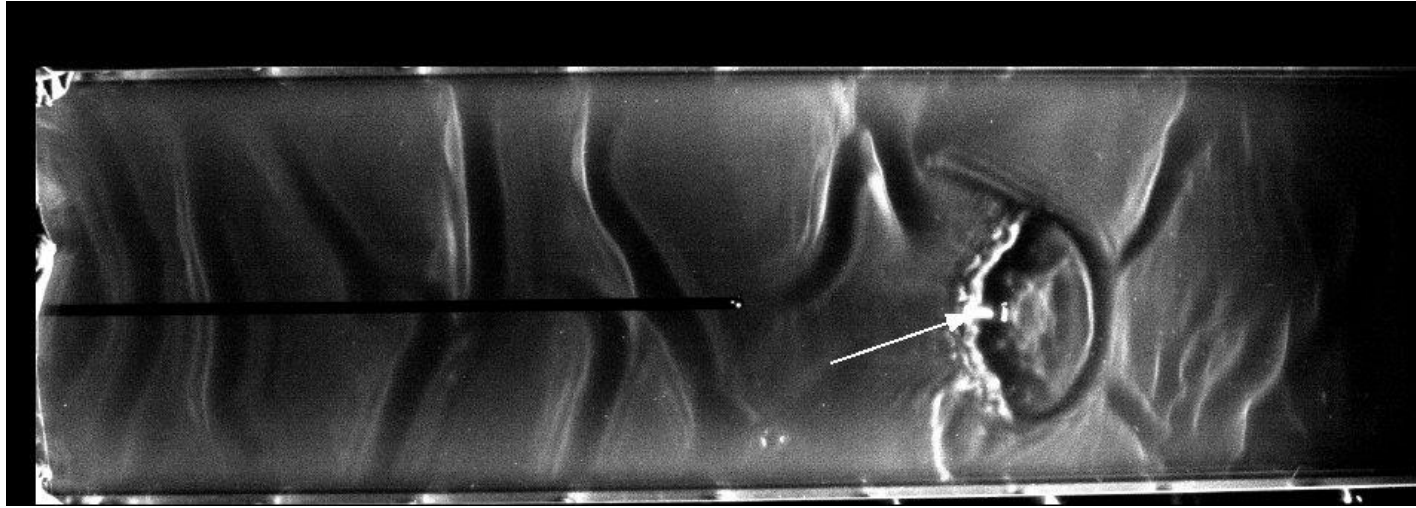
Relative film thickness



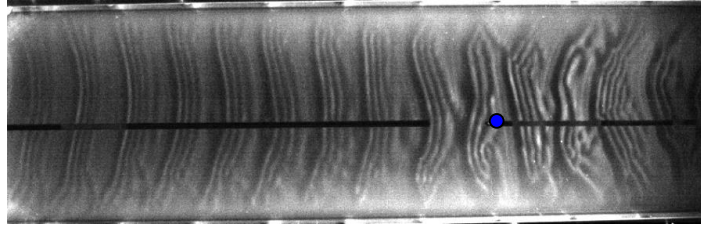
Wave celerity



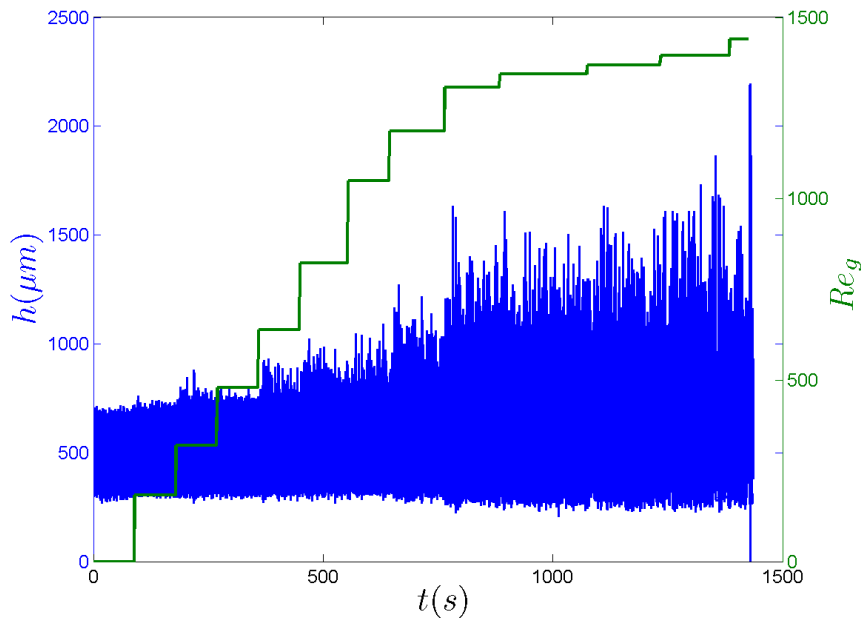
Flooding



Flooding



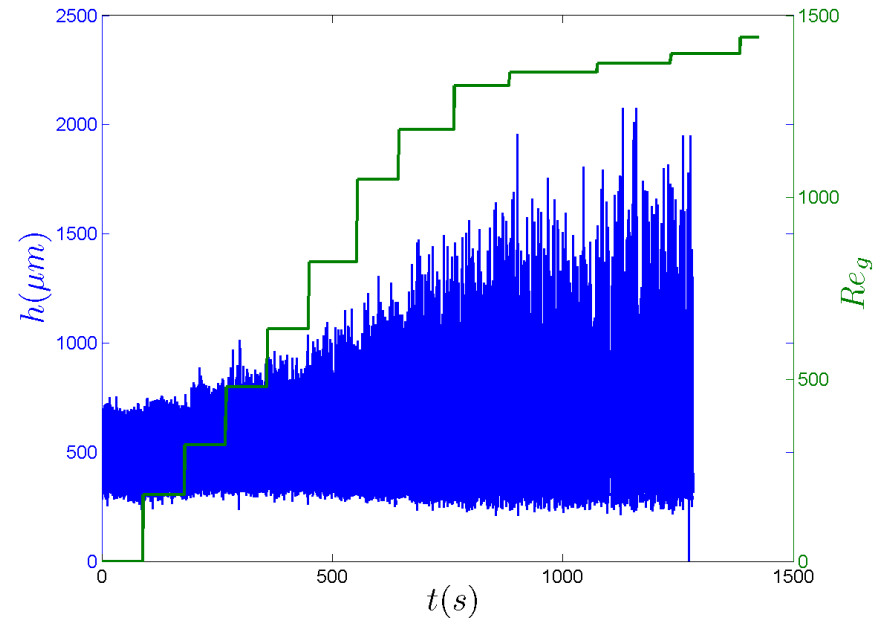
$f = 2.8 \text{ Hz}$



Flooding location: $x = 105 \text{ cm}$

$$\eta_{\text{peak}} = H/h_{\text{peak}} = 2.9$$

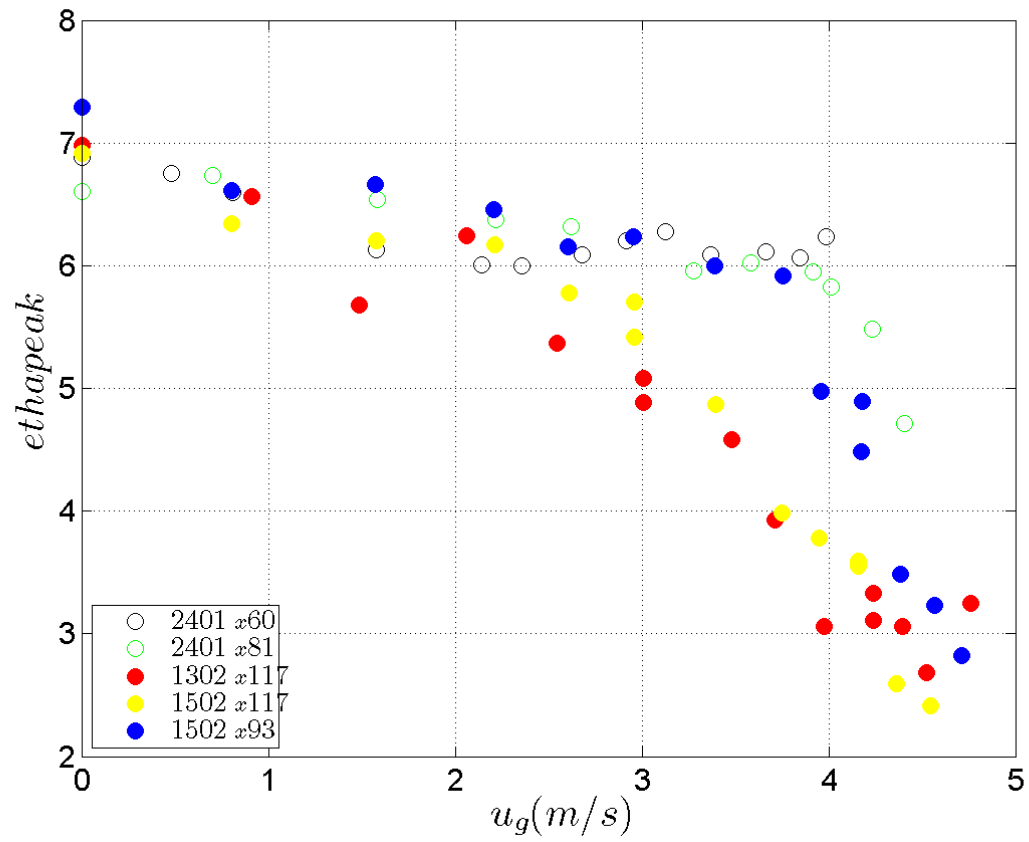
without excitation



Flooding location: $x = 95 \text{ cm}$

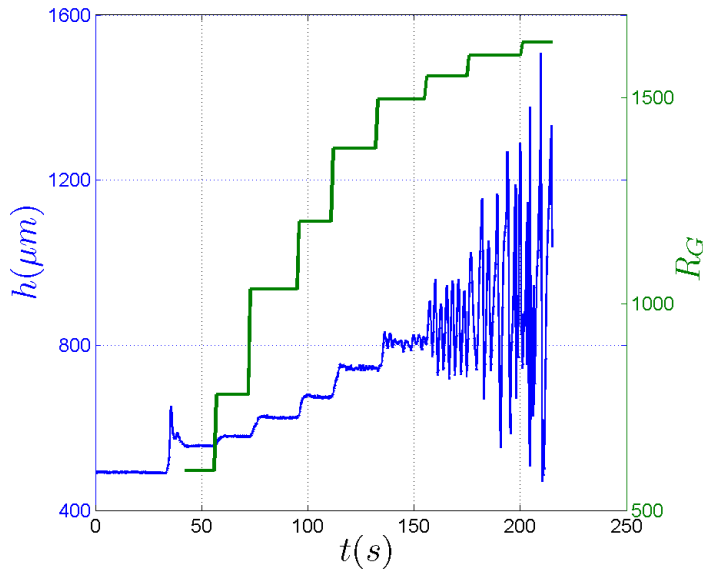
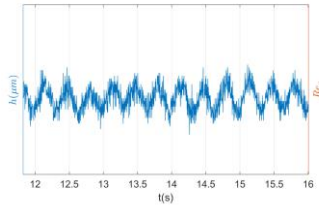
$$\eta_{\text{peak}} = H/h_{\text{peak}} = 2.8$$

$$\eta_{\text{peak}} = H/h_{\text{peak}}$$



Flooding

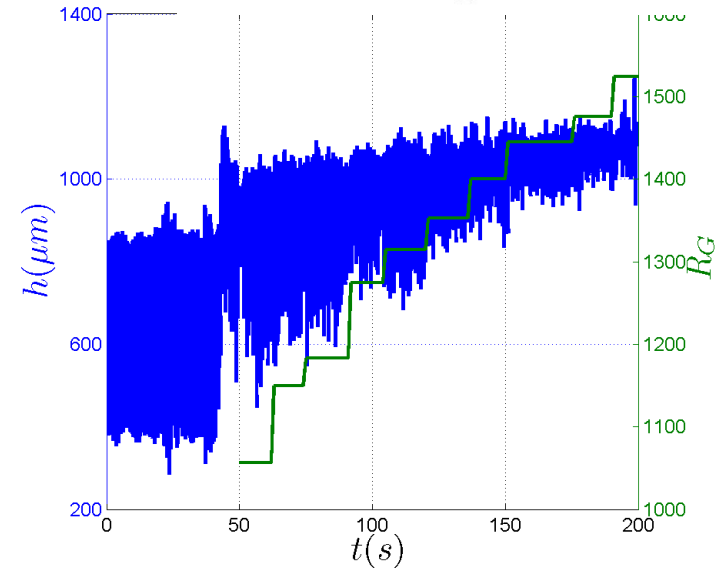
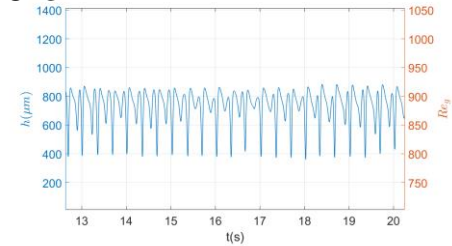
$\beta = 3^\circ$, $R_L = 17.9 = 1.13 R_C$
 $f = 3 \text{ Hz}$
 $x = 72 \text{ cm}$



Flooding location: $x = 60 \text{ cm}$

$$\eta_{\text{peak}} = H/h_{\text{peak}} = 3.3$$

$\beta = 3^\circ$, $R_L = 61.9 = 3.9 R_C$
 $f = 3 \text{ Hz}$
 $x = 90 \text{ cm}$



Flooding location: $x = 110 \text{ cm}$

$$\eta_{\text{peak}} = H/h_{\text{peak}} = 3.9$$

- ❖ Augmenter le confinement en prenant un fluide plus visqueux
- ❖ Réduire la longueur du canal pour analyser l'effet du forçage
- ❖ Chauffer le film pour étudier l'effet du contre-écoulement sur le transfert de chaleur